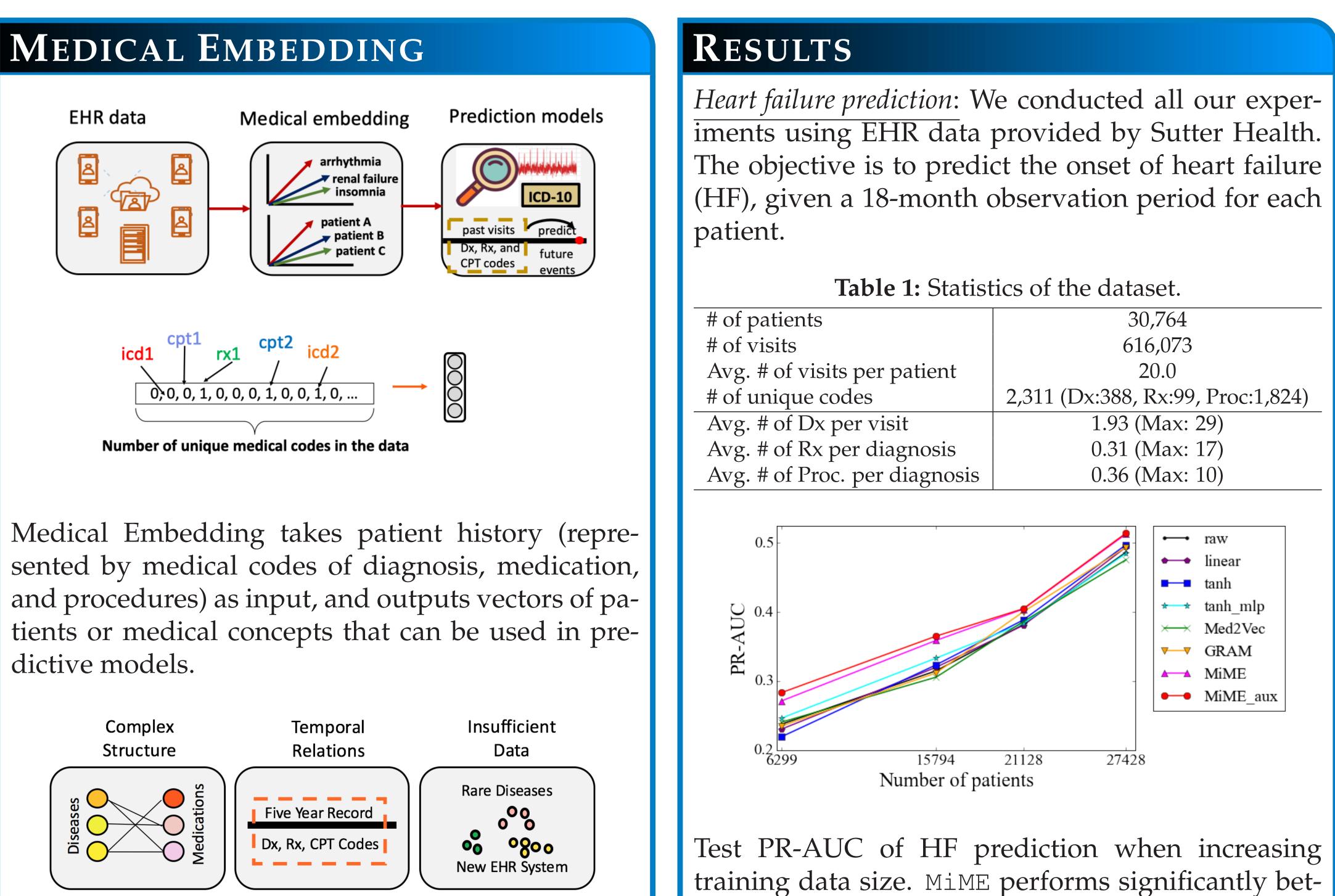
MIME: MULTILEVEL MEDICAL EMBEDDING OF ELECTRONIC HEALTH RECORDS FOR PREDICTIVE HEALTHCARE



INTRODUCTION

We propose Multilevel Medical Embedding (MiME) which leverage the multilevel structure of electronice health record (EHR) data without the need for external labels. The main ideas of MiME include

- 1. Modeling the relationships beween diagnosis codes and treatment codes can accurately capture the distinct patterns of patient states.
- 2. Auxiliary tasks of predicting diagnosis and medication within a visit inject the knowledge of EHR data into the embedding process.



The challenges related to medical embedding includes complex structure within a visit, temporal relations across visits and small datasets.

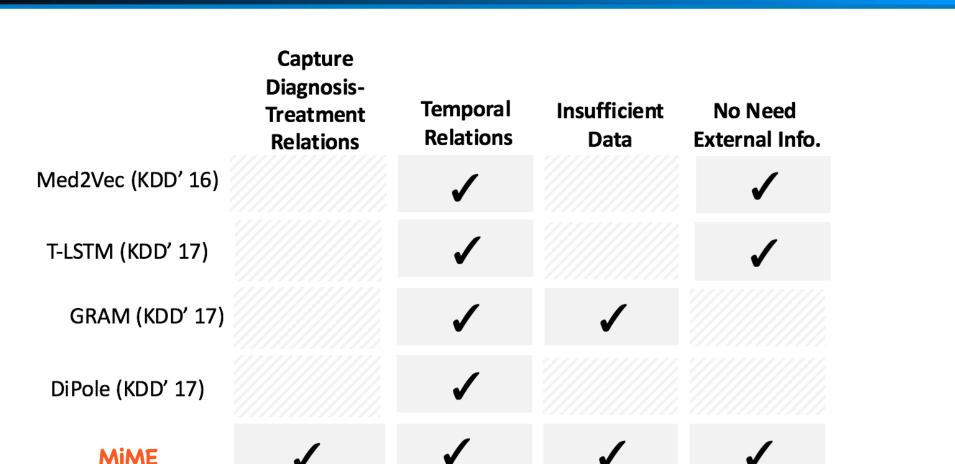
CONTACT AND CODE

Contact: jsun@cc.gatech.edu Paper: https://arxiv.org/abs/1810.09593

Code: https://github.com/mp2893/mime

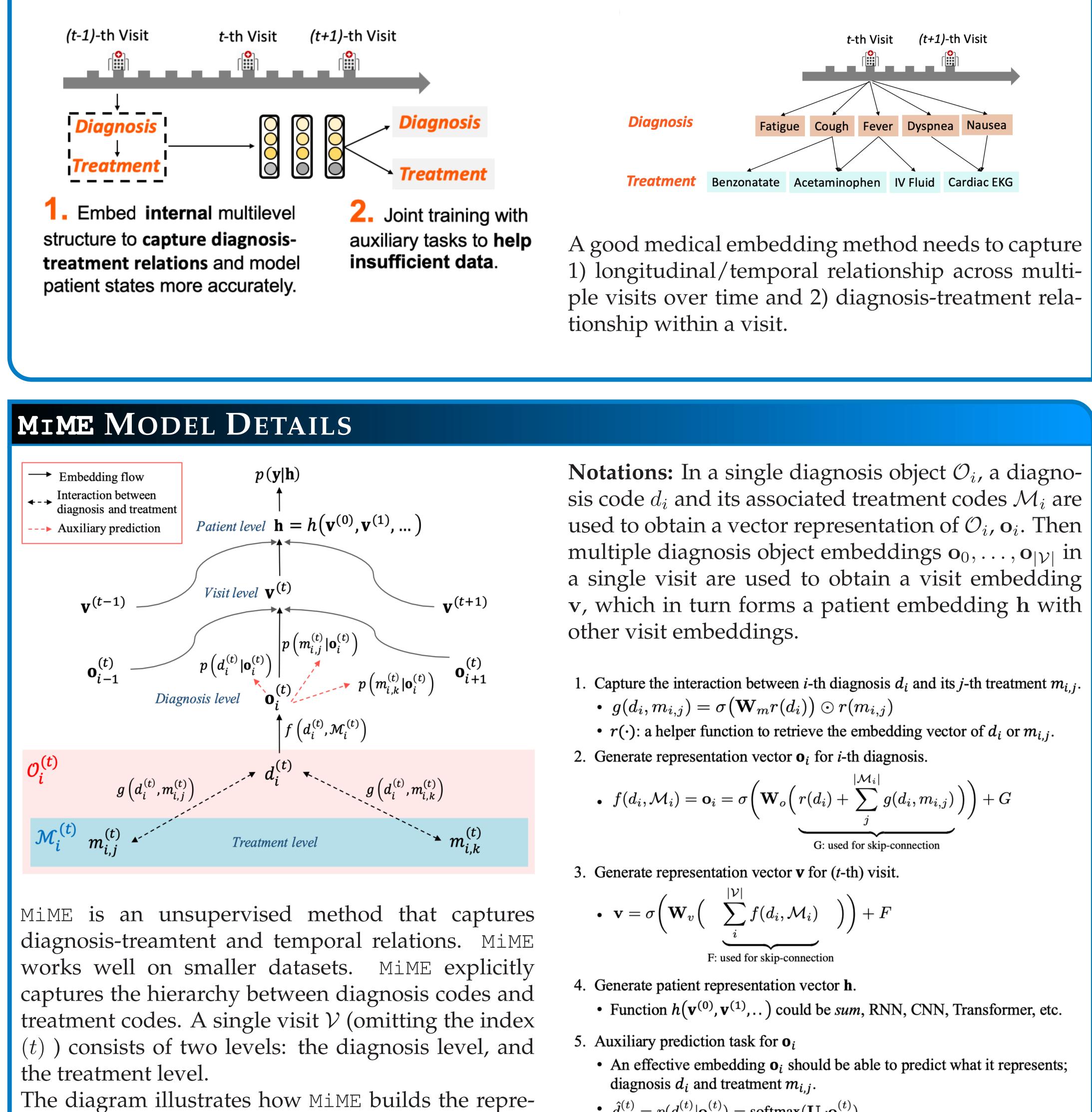
EDWARD CHOI^{*1}, CAO XIAO², WALTER F. STEWART³, JIMENG SUN⁴ 1 Google Brain, 2 IBM Research, 3 Hint Consultants 4 Georgia Institute of Technology * Work done at Georgia Tech

RELATED WORKS



MiME is an unsupervised method that captures diagnosis-treamtent and temporal relations. MiME works well on smaller datasets.

ter for the smaller training data. MiME shows superior prediction performance, especially when patient status is complicated (patient receives many medical codes), or insufficient training data.



sentation of a visit in a bottom-up fashion via multilevel embedding.

MIME ARCHITECTURE

•
$$\mathbf{v} = \sigma \left(\mathbf{W}_{v} \left(\underbrace{\sum_{i}^{|\mathcal{V}|} f(d_{i}, \mathcal{M}_{i})}_{\text{F: used for skip-connection}} \right) \right) + F$$

- $\hat{d}_{i}^{(t)} = p(d_{i}^{(t)})$

REFERENCES

[1] Edward Choi, Cao Xiao, Walter F Stewart, and Jimeng Sun. Mime: Multilevel embedding of electronic health records for predictive healthcare. In Neural Information Processing Systems, 2018.



$$) = \mathbf{o}_{i} = \sigma \left(\mathbf{W}_{o} \left(r(d_{i}) + \sum_{j}^{|\mathcal{M}_{i}|} g(d_{i}, m_{i,j}) \right) \right) + G$$

G: used for skip-connection

•
$$\hat{d}_{i}^{(t)} = p(d_{i}^{(t)} | \mathbf{o}_{i}^{(t)}) = \operatorname{softmax}(\mathbf{U}_{d} \mathbf{o}_{i}^{(t)})$$

• $\hat{m}_{i,j}^{(t)} = p(m_{i,j}^{(t)} | \mathbf{o}_{i}^{(t)}) = \sigma(\mathbf{U}_{m} \mathbf{o}_{i}^{(t)})$